Anthony treaduell

Finishmy the Computation from Last class 12/421 exi Flux of V= < Z; Y, X 7 across unit appear at origin, SS T. ds = SS ODS + SS Sm3(0) Sin3(0) DA = 5 5 512 (0) 512 (0) 90 90 - 9 5m (0) 2 5 (1-65(20)) do do = \frac{5}{5} \frac{5}{5} \left(0) \left(1 - \left(0)) \left[0 - \frac{1}{2} \frac{5}{5} \left(0) \left(0) \right) \left[0 - \frac{1}{2} \frac{5}{5} \left(0) \right) \right] \dot 0 = 0 $= \frac{1}{2}(2m-6-0) - (1-u^{2})du \qquad u=.(05(0))$ du=-5m0d0=- 1 [(0x (0) - \frac{1}{2} (0x) (0)] = - 1 ((-4+\frac{1}{2}) - (1-\frac{1}{2}))

EX' Compare the flux of F= (Y, X, Z) on bowders of Gold enclosed by payaboloid Z= 1-42-42 and plane Z=0 Victor Solution, our computation breaks up over the two pleas in our picture (i.e. 5=52US2) Parainterization: Sai S (ujv) = (u cos(v), usin(v), 1-u2). D= [0/1] x [0/20] F(S(U,V)) = (USIN(V), Ulos(V), 1-12) SF Fidg = SS F (SCUM) - Busylate Su = (Cos(v), sin(v), -du) 9 = (- USM(V), WOS(V),0) SuxSV= Let (04(V) 5M(V) - 24 Linture smisser 6 Milan (Whan-Positive Orientation = (200 (0)(N); - (-202 CM(N)), M (03 (N)+ MG/3CM) = U(24COHO), 245m(v), 1) Check 1/27 1/20 I this is out had assentation

: 55 F. 25 = 55 EUSINEV), WCOSEN, 12-427 = 95 u(202 9m(v) co401+ 202 9m(v) co4(v) + (4-42)) oft = 5 M 2 (4 13 CO2(N) 2 W(N) + (1-n3)) grgn) COSCVISM(VIDV = 5 n [2n 3/1/2 (N) + (1-n,) N] ya = 55m2(N)+($= \int u(0+(1-u^2)(2m-0))du = 2\pi \int (u-u^2)du$ コマローショーナルリ = 217 (1 - 1 - 0) = 17 (1-1/2) = 5 + This is all for 54 we need to do Sa how r.Cu,v) = (ucou), usm(v), o) on Da=[0, 1] x to, 2m] F(r(u,v)) = (u (m(v), u (o(v), 0) ru = (o(v), (m(v), 0) rv = (- u(m(v), u(o(v), 0)

TUXIV = det | i + t | k | (041) 5 mlv) 0 | - usmlv) u(041) 0 = (0,0, u(05°(v) + u512°(v)) = u(10,0,0) Note that this orientation is inwand, som meet 1.55 F. 25 = 55 F(F(UV)). - (TUXTV) 2A = 55 [(2000) 1 (00(1) 10) , - (10,000) 14 = Sinz-w(otoHoldt =0 1、55年,战=55年,战于56年,战=年10=1

	Ideals want a version of green's thereon which does not require the surface to sit flat in 200 plane
	Thereom (Stones's Theorem); Let Site a Gurtaip in R? Which is presented— smooth and with of a ricembers (looked curve with one component, If Fis a vifi on R? W continuous Partial derivatives on S, then S Fide of Okay - S Earl (F) . ds ds
NB'	well take this as a black bix not okay Compute S. F. dr. when F=LY, a, z, z,) and (it the curve or intersection of hot okay the plan x+z=2 and (ylinder x, +x, =a.

Now by Stones & theorem, ScF.di= SF.di= SS (WICF).ds = SS (MCF) (C) NSCKS dt Curl(E) = det 1 4 K (1)(22) - == (1) - (1) - (1) - 2 (12) - 2 (12) 1 (1) (1) = 60,0,1-277 : (WI(F) (G(r,0)) = Lo,0,12-214m(0)) Gr= L(690, sino 1912) 90 = L-14/10(0), 1(040), -1(040)7 Sr X So = det (000 -616 -616) - remo (and f 19mo (igo (-r (on o - i sin o))

: , S, = idi = 4,0,0,1-219mby · Co,1,17dt 5.2 LCT-912WAD 9092 5 r [0+21(040] df = (20-6) 5 (M = 211 (1/2 [1/3]) - M(4-0) = M